

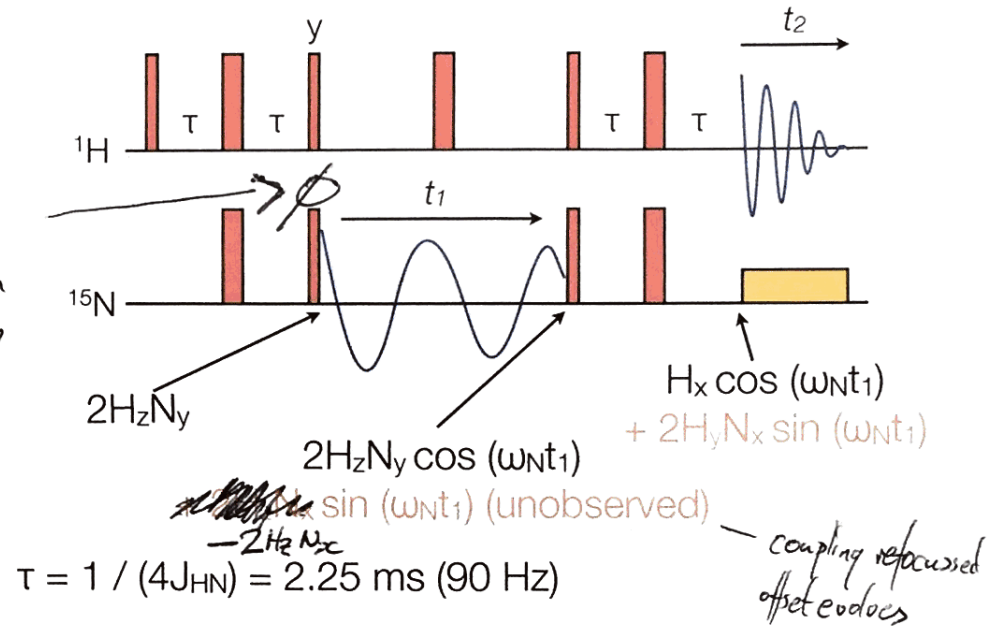
Chapter 8, Q 1,3,4,5,7,8
 (Next week Q 10-14)

2D NMR part II

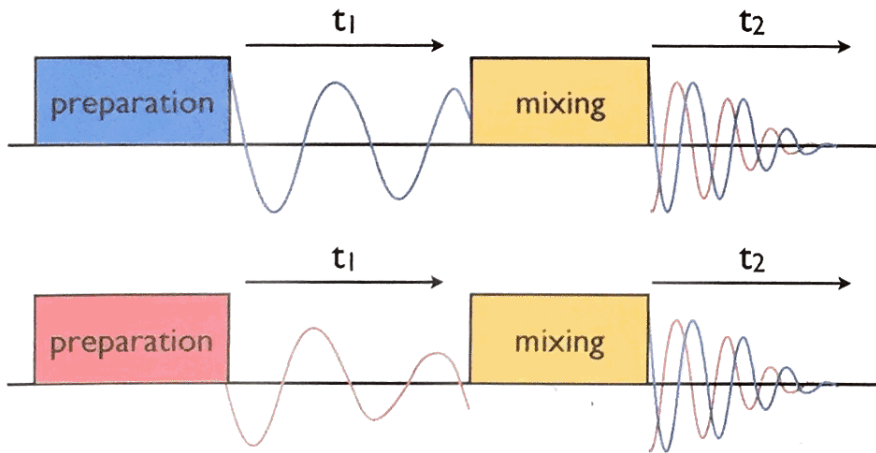
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x, y
 $\Rightarrow \cos, \sin$
 modulation
 for phase
 sensitive
 detection

The HSQC experiment

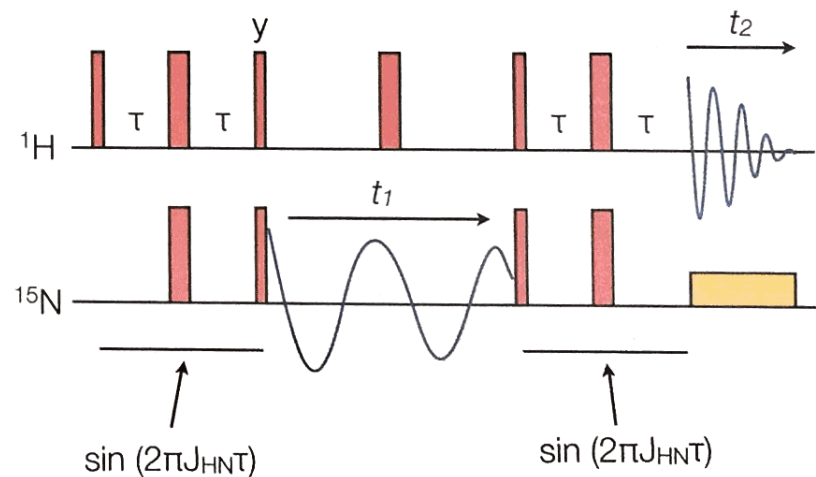


Quadrature detection in 2D



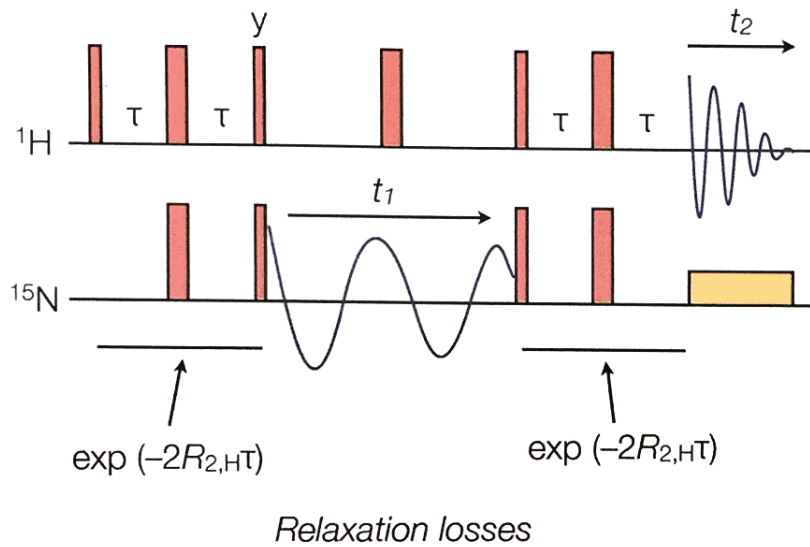
hypercomplex data

HSQC sensitivity

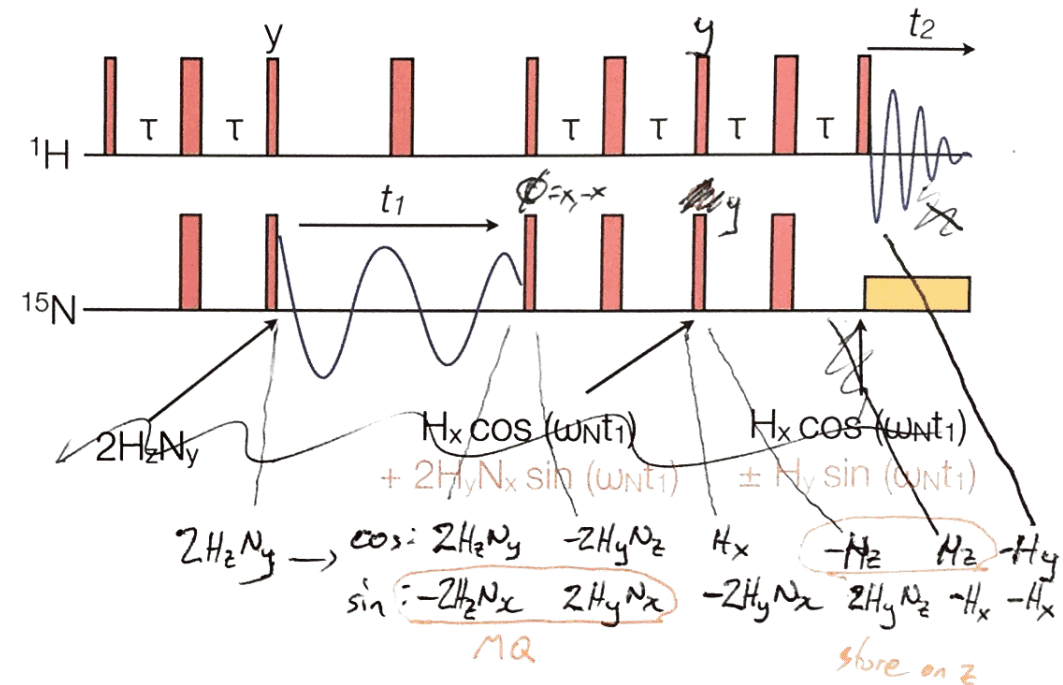


INEPT transfer efficiencies

HSQC sensitivity



The sensitivity-improved HSQC



Processing / sensitivity

Observed magnetisation =

$$H_x \cos(\omega_N t_1) \pm H_y \sin(\omega_N t_1)$$

$$\text{Sum} = 2 \cos(\omega_N t_1)$$

$$\text{Difference} = 2i \sin(\omega_N t_1)$$

- 2x increase in signal by adding/subtracting adjacent FIDs
- Noise is also added
- Net gain of $\sqrt{2}$ in SNR
- Less in practice due to relaxation in longer sequence

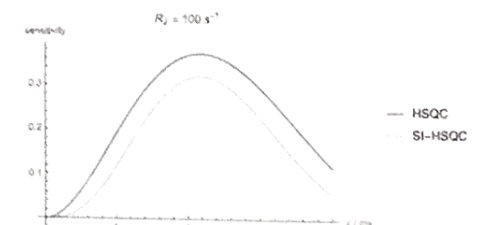
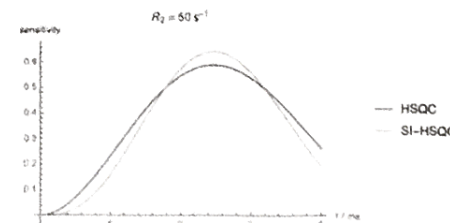
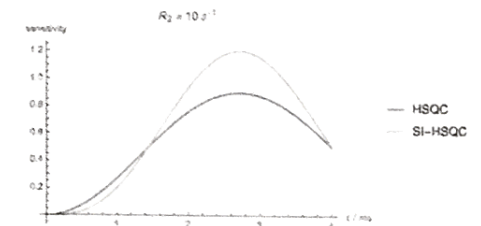
Comparison of HSQC and SI-HSQC sensitivity

HSQC sensitivity:

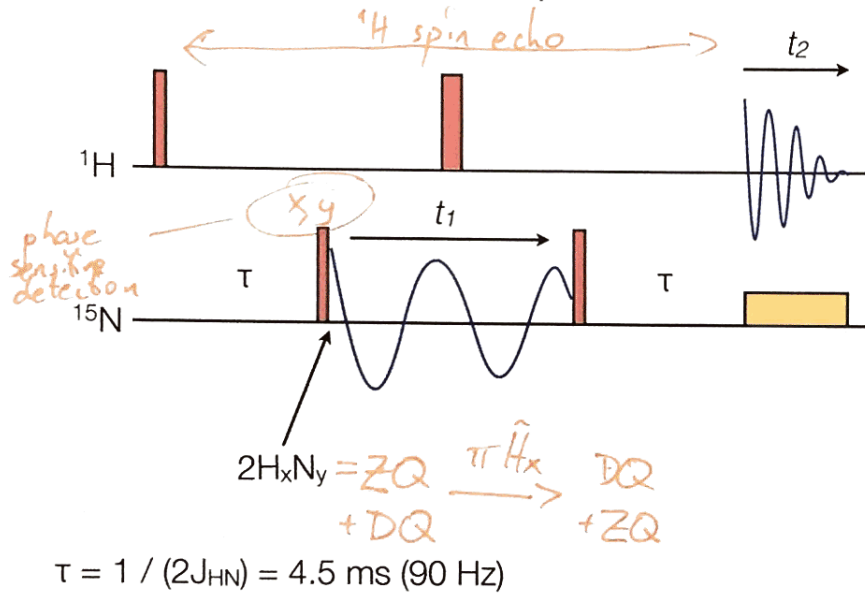
$$\sin^2(2\pi J_{HN} t) \exp(-4R_{2,HT})$$

SI-HSQC sensitivity:

$$\sqrt{2} \sin^3(2\pi J_{HN} t) \exp(-6R_{2,HT})$$



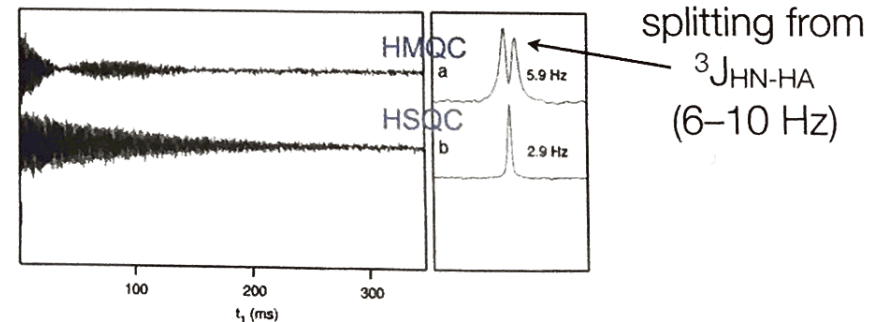
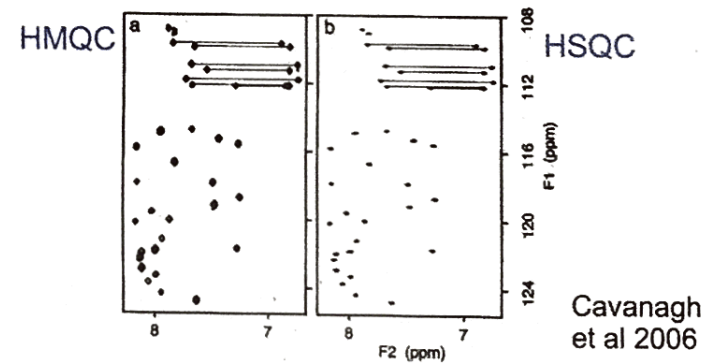
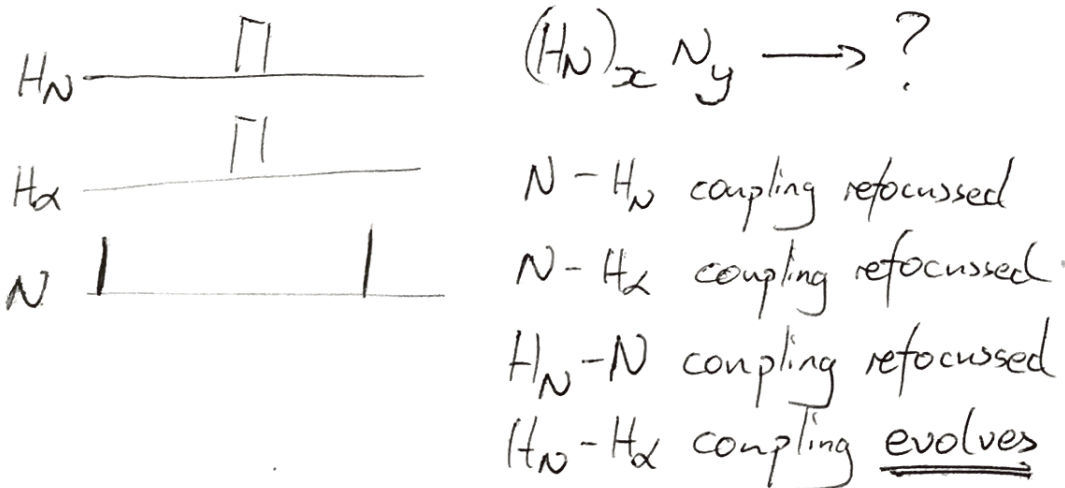
The HMQC experiment



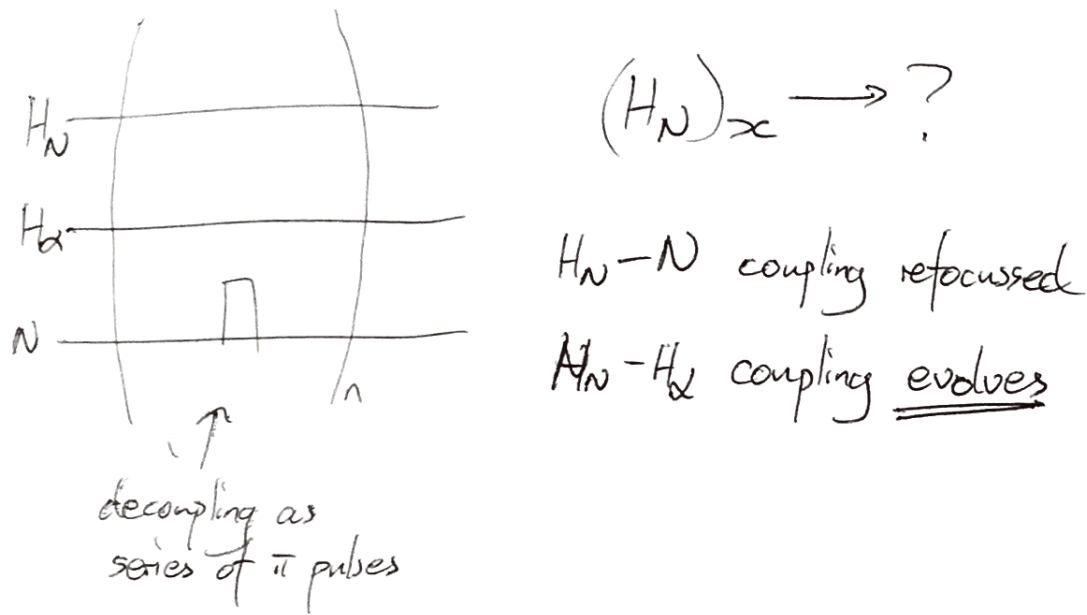
HMQC vs HSQC

- HMQC is simpler pulse sequence – less scope for calibration errors, and pulse imperfections (especially 180° pulses) don't matter so much
- Product operators during t_1 :
 - HSQC: single quantum in-phase and anti-phase $2H_z N_y \Leftrightarrow N_x$
 - HMQC: multiple (zero + double) quantum
- Relative relaxation rates:
 - $R_2(N_x) < R_2(2H_z N_y) < R_2(2H_x N_y)$
- IMPORTANT EXCEPTION: methyl-TROSY HMQC!

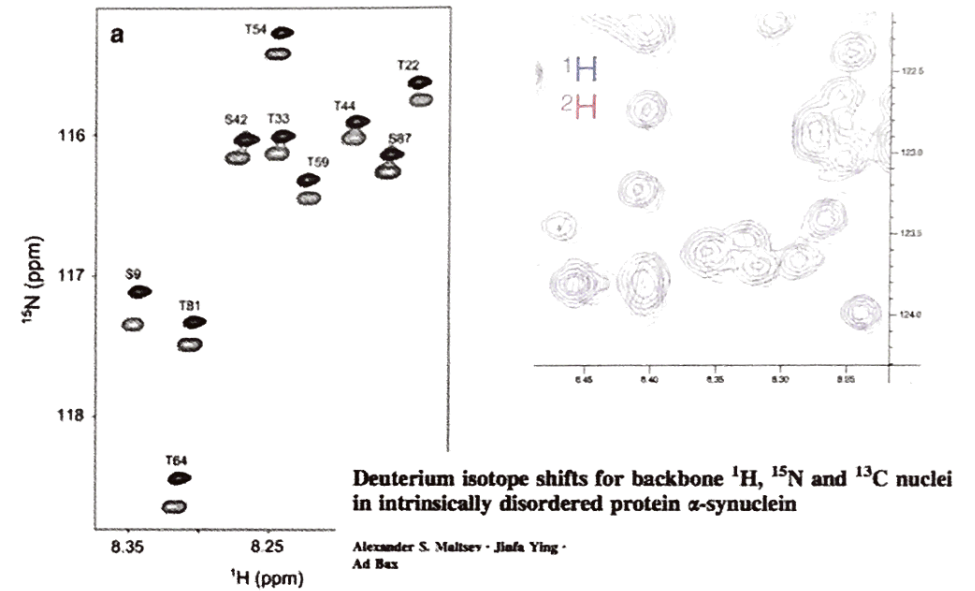
Evolution of passive couplings during t_1



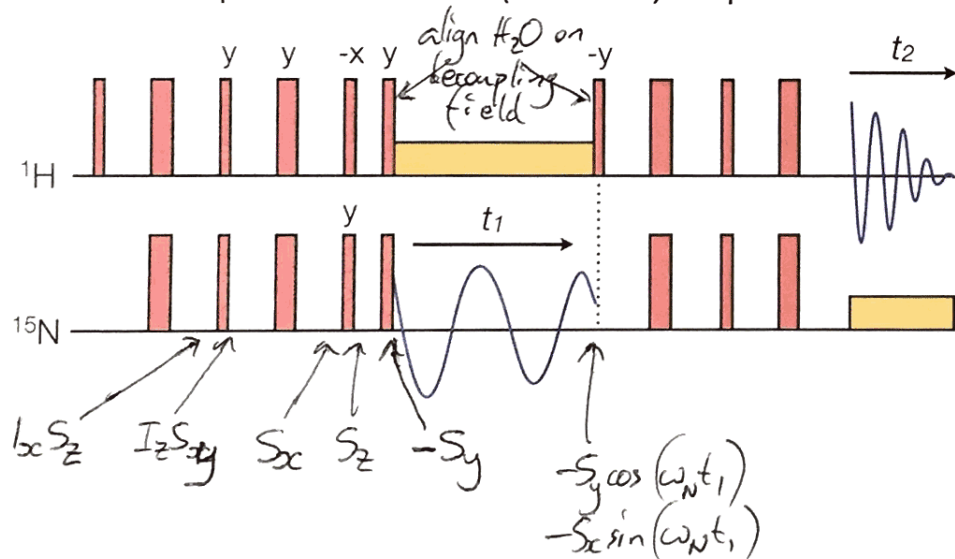
Evolution of passive couplings during t_2



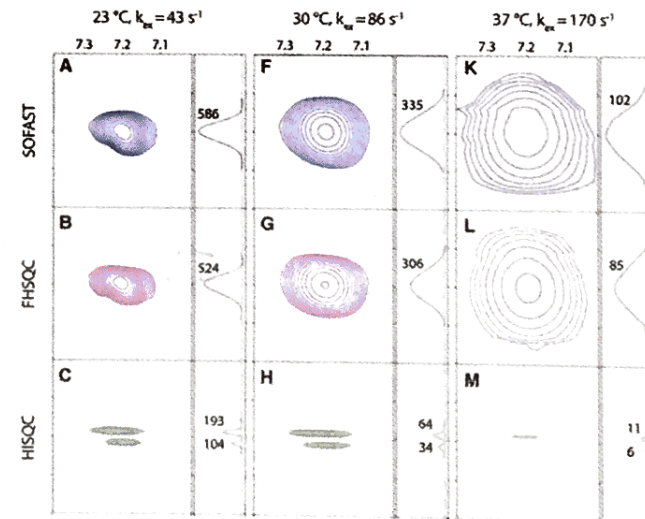
Effect of perdeuteration



The in-phase HSQC (HISQC) experiment



Comparison of HMQC, HSQC, HISQC



Amide exchange

$$N_{\alpha\beta} H_z = N_{\alpha\beta} (H_{\alpha} - H_{\beta})$$

quantum superposition involving both N and H spin states



Chemical exchange of amide proton
 \Rightarrow coherence destroyed

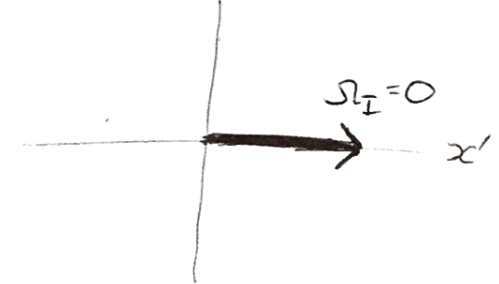
Vector model description of J-coupling

IS system (Israel Solomon)

Consider I_x evolution:



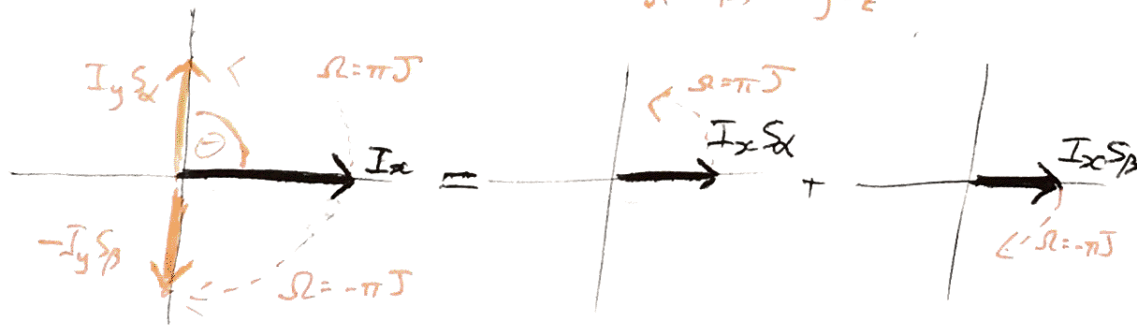
Transform into rotating frame:



Vector model description of J-coupling

I_x is really a mixture of S_{α} and S_{β} spin states:

$$I_x = I_x S_{\alpha} + I_x S_{\beta} \longrightarrow I_y (S_{\alpha} - S_{\beta}) = I_y S_z$$



$$\Theta = \pi J \tau = \frac{\pi}{2} \text{ for complete conversion to antiphase}$$

$$\Rightarrow \tau = \frac{1}{2J}$$

Decoupling (on-resonance)

- Coupling = splitting of resonances by frequency J
- Therefore, to observe (resolve) coupling, need to observe for time $\tau \geq 1/J$
 - i.e. lifetime of coupled state must be $\geq 1/J$
- Converse: reduce the lifetime, and coupling won't be observed
- Basic idea: exchange $S_{\alpha} \longleftrightarrow S_{\beta}$ with π pulse to refocus coupling evolution